# ERRATA 

Correction to

# MAXIMAL ALGEBRAS AND A THEOREM OF RADÓ 

I. Glicksberg

Volume 14 (1964), 919-941
Professor Paul Civin has kindly pointed out that in Theorems 3.2, $3.5,4.8(\mathrm{i})$, and 5.2 of this paper it is tacitly assumed that $\rho_{\alpha}^{-1}\left(\partial_{A}\right)=\partial_{A}$ (see, e.g., the first paragraph on p. 925) and thus in each of these results the hypothesis that for each relatively maximal algebra $A_{\alpha}$ no element of $\mathscr{M}_{\Lambda_{\alpha}} \mid \partial_{\Delta}$ extends an element of $\partial_{\Delta}$ should be added.

However, when local approximability of $f$ is assumed on all of $\mathscr{M}_{\Lambda} \backslash f^{-1}(0)$ rather than on $\mathscr{M}_{\Lambda} \backslash\left(\partial_{\Delta} \cup f^{-1}(0)\right)$ in 3.2 (or the analogous sets in the later results) this additional hypothesis is unnecessary, as is easily seen. For just this reason the added hypothesis is not needed in 4.4, 4.5, 5.3, 5.4 (and the final assertion of 5.2), and these results are correct as stated.

Correction to

# SOME GENERAL PROPERTIES OF MULTI-VALUED FUNCTIONS 

Raymond E. Smithson
Volume 15 (1965), 681-703
This paper was written while the author was at the U.S. Naval Ordnance Test Station, China Lake, California. He is now at the University of Florida.

Correction to

## ADJOINT QUASI-DIFFERENTIAL OPERATORS OF EULER TYPE

John S. Bradley

Volume 16 (1966), 213-237
"Wherever the symbol $\widetilde{z}$ appears (with or without a subscript) it
should be replaced by $\check{Z}$, and $\widetilde{Z}$ should be replaced by $\mathscr{Z}$. The symbols $\tilde{\mathfrak{A}}_{m}$ and $\tilde{\mathfrak{A}}_{m}^{0}$ should be replaced throughout by $\mathscr{\mathfrak { A }}_{m}$ and $\mathfrak{U n}_{m}^{0}$, respectively; however, $\widetilde{\mathfrak{N}}_{n}$ and $\widetilde{\mathfrak{}}_{n}^{0}$ remain unchanged. The first equation of line 14 page 235 should be ${ }^{\prime} \mathfrak{A}_{n}=\tilde{\mathfrak{A}}_{n}^{\prime}$."

Correction to

## DUALITY AND TYPES OF COMPLETENESS IN LOCALLY CONVEX SPACES

William B. Jones
Volume 18 (1966), 525-544
Proposition 2.14 is an obvious consequence of Lemma 2.8.
p. 538, line 5: The second equality is false in general for all $\alpha$ (see [4]).

Some misprints:
p. $526 \S 2$ should start " $(\alpha, \beta)-\ldots$ "
line 3 of $\S 2$, " $\alpha$ " instead of " $\alpha$ "
p. 528 last line, remove final "\}"
p. 532 line 14 , second " $\varepsilon$ " should be " $\in$ "
p. 535 line 2, should read

$$
\cdots \leqq \frac{\varepsilon}{r}(r-\cdots
$$

p. 537 line 8 , second "=" should be "-"
p. 541 line 9, " $\lambda_{0}$ " instead of " $1_{0}$ "

Correction to

## UNIQUENESS AND EXISTENCE PROPERTIES OF BOUNDED OBSERVABLES

## S. P. Gudder

Volume 19 (1966), 81-93
The author recently discovered that the proof of the corollary to Theorem 4.5 is incorrect, thus invalidating Theorem 4.6. We show now that Theorem 4.6 is still true for a class of observables with infinite spectra and prove a generalization of Theorem 4.5.

An observable $x$ is semi-bounded above (below) if there is a number

