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BULLETIN (New Series) OF THE  
AMERICAN MATHEMATICAL SOCIETY  
Volume 4, Number 3, May 1981  
© 1981 American Mathematical Society  
0002-9904/81/0000-0212/\$02.00

*Operator colligations in Hilbert spaces*, by Mikhail S. Livshits [Moshe Livsic] and Artem A. Yantsevich, Winston, Washington, D. C. (distributed by Wiley, New York), 1979, xii + 212 pp., \$19.95.

The general philosophy behind the idea of *operator models* as a tool for studying a bounded linear operator on a Hilbert space is to associate with