- 9. I. M. Gelfand, M. I. Graev and I. I. Piatetskii-Shapiro, Automorphic functions and representation theory, Saunders, Chicago, Ill., 1969.
- 10. E. Hecke, Dirichlet series, modular functions and quadratic forms (IAS Lectures), Edwards Bros., Ann Arbor, Mich., 1938.
- 11. K. Imai, Generalization of Hecke's correspondence, Ph.D. Thesis, Univ. of California, San Diego, 1979.
 - 12. K. Iwasawa, On p-adic L-functions, Princeton Univ. Press, Princeton, N. J., 1972.
- 13. J. Lehner, Discontinuous groups and automorphic functions, Mathematical Surveys, no. 8, Amer. Math. Soc., Providence, R. I., 1964.
- 14. S. Lichtenbaum, Values of zeta-functions, étale cohomology, and algebraic K-theory, (preprint).
- 15. H. Maass, Lectures on modular functions of one complex variable, Tata Institute, Bombay, 1964.
- 16. _____, Siegel's modular forms and Dirichlet series, Lecture Notes in Math., vol. 216, Springer-Verlag, Berlin and New York, 1971.
- 17. P. M. Morse and H. Feshbach, Methods of theoretical physics I, II, McGraw-Hill, New York, 1952, 1953.
 - 18. J.-P. Serre, A course in arithmetic, Springer-Verlag, Berlin and New York, 1970.
- 19. A. Selberg, Harmonic analysis and discontinuous groups in weakly symmetric Riemannian spaces with applications to Dirichlet series, J. Indian Math. Soc. 20 (1956), 47–87.
- 20. G. Shimura, Arithmetic theory of automorphic forms and functions, Princeton Univ. Press, Princeton, N. J., 1971.
- 21. T. Shintani, On evaluation of zeta functions of totally real algebraic number fields at non-positive integers, J. Fac. Sci. Univ. Tokyo, Sec. IA 23 (1976), 393-417.
 - 22. C. L. Siegel, Gesammelte Abhandlungen, Springer-Verlag, Berlin and New York, 1966.
 - 23. _____, Topics in complex function theory, Vols. I, II, III, Wiley, New York, 1969-1971.
- 24. H. M. Stark, The analytic theory of algebraic numbers, Bull. Amer. Math. Soc. 81 (1975), 961-972.
- 25. _____, L-functions at s = 1, I, II, III, IV, Advances in Math. 7 (1971), 301-343; 17 (1975), 60-92; 22 (1976), 64-84 (to appear).
- 26. A. Terras, Applications of special functions for the general linear group to number theory, Sém. Delange-Pisot-Poitou, 1977, exp. 23.
- 27. N. Wallach, Symplectic geometry and Fourier analysis, Math. Sci. Press, Brookline, Mass.,
- 28. A. Weil, Über die Bestimmung Dirichletscher Reihen durch Funktionalgleichung, Math. Ann. 168 (1967), 149-156.

AUDREY TERRAS

BULLETIN (New Series) OF THE AMERICAN MATHEMATICAL SOCIETY Volume 2, Number 1, January 1980 © 1980 American Mathematical Society 0002-9904/80/0000-0016/\$01.50

Georg Cantor, his mathematics and philosophy of the infinite, by Joseph Warren Dauben, Harvard Univ. Press, Cambridge, Mass., 1979, ix + 404 pp., \$28.50.

A century and a half ago in 1831 Gauss, in a letter to Schumacher, wrote: "I protest against an infinite quantity as an actual entity; this is never allowed in mathematics. The infinite is only a manner of speaking."

Forty-one years later Georg Cantor, a young mathematician at Halle, was studying the uniqueness problem for trigonometric series. In 1870 he had proven that if a real function f was represented by a trigonometric series which converged for all x, then the series was necessarily unique; in fact, uniqueness was guaranteed even if the set of exceptional points, where convergence failed, was discrete. By the following year he had extended his