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*Controlabilité Exacte, Perturbations et Stabilisation de Systèmes Distribués*, by J.-L. Lions. Masson, Paris, 1988, Vol. I: *Controlabilité Exacte*, X+ 537 pp. ISBN 2-225-81477-5 Vol. II: *Perturbations*; xiii+272 pp. ISBN 2-225-81474-0.

The two volume work reviewed here continues Professor Lions' lengthy list of fundamental contributions to the control theory of distributed systems—systems governed by partial differential and other infinite-dimensional processes—constituting just part of the work of a long and distinguished scientific career. The main subject matter concerns HUM, the Hilbert space Uniqueness Method, as a tool for studying Hilbert spaces of controllable states for a variety of linear partial differential equations, notably the wave equation, but the work also includes a contribution to asymptotic energy decay theory for the wave equation and some studies of the controllability of “perturbed” systems of the same sort, such as the wave equation in a “perforated” medium, applying homogenization techniques, and problems involving perturbations of the