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Statistical analysis of counting processes, by Martin Jacobsen, Lecture Notes in Statistics, Vol. 12, Springer-Verlag, New York, 1982, vii + 226 pp., \$14.80. ISBN 0-3879-0769-6

As the implications of a mathematical structure become more deeply understood, the number of applied problems that may be solved by that structure increases rapidly, often in some surprising directions. In *The statistical analysis of counting processes*, Martin Jacobson has given us an excellent account of just