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Mathematical theory of entropy, by Nathaniel F. G. Martin and James W. England, Encyclopedia of Mathematics and its Applications, vol. 12, Addison-Wesley Publishing Company, Reading, Mass., 1981, xxi + 257 pp., \$29.50. ISBN 0-2011-3511-6

Topics in ergodic theory, by William Parry, Cambridge Tracts in Mathematics, vol. 75, Cambridge Univ. Press, Cambridge, England, 1981, x + 110 pp., \$23.95. ISBN 0-5213-3986-3

An introduction to ergodic theory, by Peter Walters, Graduate Texts in Math., vol. 79, Springer-Verlag, Berlin and New York, 1982, ix + 250 pp., \$28.00. ISBN 0-3879-0599-5

Ergodic theory is concerned with the action of a transformation T or group of transformations G on a space X . The space X usually has some measure-theoretic, topological, or smooth structure which T or G preserves. Typical of the kinds of questions asked is the early recurrence theorem of Poincaré, which states that if T preserves a finite measure then almost every point in any set of positive measure must return to the set under the action of T . The much deeper convergence theorems of von Neumann and Birkhoff triggered considerable