author does not make far-ranging conjectures, and does not philosophize. The book is lean and beautiful.

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Analysis of nonlinear problems has always been a rich area in terms of mathematical difficulties and interesting problems. For the last two decades there has been a flurry of activity related to nonlinear eigenvalue problems and