

CORRECTIONS

RICHARD CUSHMAN

To "The relationship between the index of a strongly stable periodic linear Hamiltonian vectorfield and the index of its stability domain", Duke Math. J. **45** (1978), 701–709.

The author would like to thank Prof. J. V. Ralston for bringing corrections 1, 5, 6, 7, and the first sentence of 2 to his attention.

1. Equation 1) on page 701 should read

$$\mathcal{G}(\Phi) = \frac{1}{2} (\text{ind gr } \Phi + \text{ind } \sigma^\# \circ (-A)) - n.$$

The same correction should be made on line 6 – (from the bottom) on page 704; line 1 – on page 706; and line 2 + (from the top) on page 707. (See correction 5.)

2. Because the symplectic form σ_1 on $\mathbb{R}^{2n}$ in [1, p. 180, equation 1.24] is the negative of our σ (see lemma on page 702), equation 2) on page 702 must be changed. Using the definition of ind [1, p. 184, equation 2.14] and noting that the intersection number and Q change sign when the sign of the symplectic form is changed, we get

$$\text{ind}_1 \text{gr } \Phi = -[\text{gr } \Phi; \mu] + \text{ind} - Q(\text{gr } I, \mu; \text{gr } \Phi(1))$$

where the left hand side uses σ_1 and the right hand side uses σ .

$$\begin{aligned} &= -[\text{gr } \Phi; \mu] + 2n - \text{ind } Q(\text{gr } I, \mu; \text{gr } \Phi(1)) \\ &\quad - \text{nul } Q(\text{gr } I, \mu; \text{gr } \Phi(1)). \end{aligned}$$

Thus equation 2) on page 702 should read

$$M = n - \text{ind gr } \Phi - \dim \text{gr } I \cap \text{gr } \Phi(1)$$

because $M = \text{ind}_1 \text{gr } \Phi - n$.

3. Since $\text{gr } I \cap \text{gr } \Phi(1) = 0$ (see line 8 – on page 705) for strongly stable systems, equation 3) on page 702 should read

$$\begin{aligned} \mathcal{G}(\Phi) &= \frac{1}{2} (\text{ind } \sigma^\# \circ (-A) - M - n) \\ &= \frac{1}{2} (n - \text{ind } \sigma^\# \circ (A) - M) \end{aligned}$$

because $\sigma^\# \circ (-A)$ is nondegenerate (see page 706 line 8 –) and line 9 – on

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